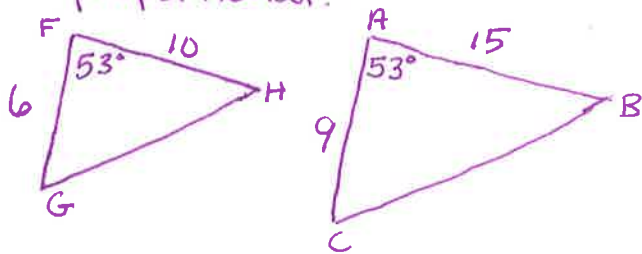


Notes: Similarity Shortcuts

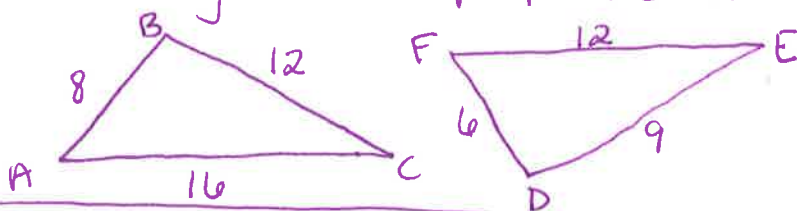
SAS Postulate - one set of corresponding angles are congruent and the sides including these angles are proportional.*



$$\begin{aligned} \angle F &\cong \angle A && \textcircled{A} \\ \frac{FG}{AC} &= \frac{6}{9} = \frac{2}{3} && \textcircled{S} \\ \frac{FH}{AB} &= \frac{10}{15} = \frac{2}{3} && \textcircled{S} \end{aligned}$$

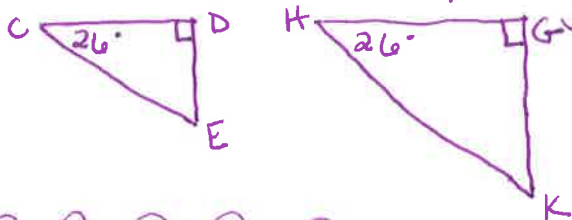
therefore, $\triangle FGH \sim \triangle ACB$

SSS Postulate - All corresponding side lengths of two triangles are proportional.*



| | | |
|---|---|--|
| Shortest sides \searrow | Longest sides \searrow | Remaining Sides \searrow |
| $\frac{AB}{FD} = \frac{8}{6} = \frac{4}{3}$ | $\frac{AC}{FE} = \frac{16}{12} = \frac{4}{3}$ | $\frac{BC}{DE} = \frac{12}{9} = \frac{4}{3}$ |
| therefore, $\triangle ABC \sim \triangle FDE$ | | |

AA Theorem - Two corresponding angles are congruent

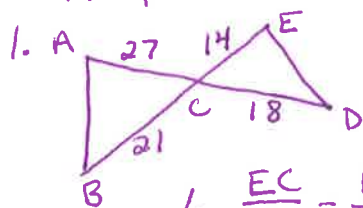


therefore

$$\begin{aligned} \angle C &\cong \angle H \\ \angle D &\cong \angle G \end{aligned}$$

therefore, $\triangle CDE \sim \triangle HGK$

Apply it... SHOW THAT THE Δ 'S ARE SIMILAR.



1. $\frac{EC}{CB} = \frac{14}{21} =$
2. $\angle ACB \cong \angle ECD$
- 3.
4. $\triangle ACB \sim \triangle DCE$